

## BAB V

### ANALISIS TAMPANG ELEMEN

#### 5.1 Umum

Langkah selanjutnya dalam analisis portal ini adalah pemeriksaan kekuatan masing-masing elemen struktur. Pemeriksaan kekuatan elemen struktur ini meliputi:

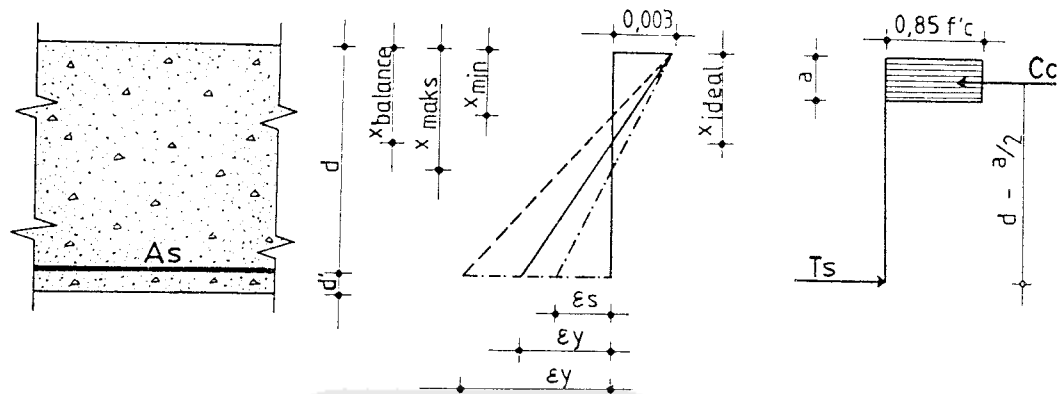
- a) kekuatan pelat ,
- b) kekuatan balok,
- c) kekuatan kolom,
- d) kekuatan sambungan (baut).

dalam mendukung beban baru akibat terjadinya perubahan perilaku struktur karena kurangnya satu balok induk.

Pengerjaan pemeriksaan kekuatan elemen struktur ini menggunakan cara pengerjaan yang mengacu pada referensi dan rumus-rumus yang telah disebutkan pada bab terdahulu.

Hasil akhir dari pemeriksaan kekuatan elemen struktur ini, berupa perbandingan dari perhitungan analisis kekuatan tampang elemen struktur dengan hasil perhitungan mekanika portal. Elemen struktur akan diketahui aman atau tidaknya dari hasil perbandingan tersebut.

## 5.2 Beban Batas Pada Pelat



Gambar 5.1 Diagram tegangan pelat

Plat terjepit sempurna pada keempat sisinya :

$$\frac{l_y}{l_x} = \frac{9200}{5575} = 1.6502 < 2 \text{ (pelat dua arah)}$$

Kapasitas Momen Tulangan Arah  $l_x$

Data lapangan:

Tebal pelat 130 mm, tulangan D12 - 200 mm

$$f_y = 400 \text{ MPa}, f_c = 35 \text{ MPa}, \beta_1 = 0.81$$

$$d' = 20 + 12/2 = 26 \text{ mm}$$

$$d = 130 - 26 = 104 \text{ mm}$$

$A_s = A_s'$  (tulangan tumpuan sama dengan tulangan lapangan)

Penyelesaian:

$$A_s = (1000 \cdot 0,25 \cdot \pi \cdot 12^2) / 200 = 565,4867 \text{ mm}^2$$

$$x_b = \frac{0,003 \cdot d}{0,003 + f_y / E_s}$$

$$= \frac{600 \cdot d}{600 + f_y} = \frac{600 \cdot 104}{600 + 400} = 62,4 \text{ mm}$$

$$x_{\max} = 0,75 \cdot x_b$$

$$= 0,75 \cdot 62,4 = 46,8 \text{ mm}$$

$$a_{\max} = 0,81 \cdot x_{\max}$$

$$= 0,81 \cdot 46,8 = 37,91 \text{ mm}$$

$$C_c = 0,85 \cdot f_c \cdot b \cdot a$$

$$C_c = T_s = A_s \cdot f_y$$

$$A_s \cdot f_y = 0,85 \cdot f_c \cdot b \cdot a$$

$$a = A_s \cdot f_y / (0,85 \cdot f_c \cdot b)$$

$$= 565,4867 \cdot 400 / (0,85 \cdot 35 \cdot 1000)$$

$$= 7,6032 \text{ mm} < a_{\max} = 37,91 \text{ mm}$$

maka:

$$M_n = A_s \cdot f_y \cdot (d - \frac{1}{2} \cdot a)$$

$$= 565,4867 \cdot 400 \cdot (104 - \frac{1}{2} \cdot 7,6032) = 22664347 \text{ Nmm}$$

$$M_n^+ (\text{lap}) = M_n^- (\text{tumpuan}) = 22664347 \text{ Nmm}$$

Kapasitas Momen Tulangan Arah  $I_y$

Data lapangan:

Tebal pelat 130 mm, tulangan D10 - 200 mm

$f_y = 240 \text{ MPa}$ ,  $f_c = 35 \text{ MPa}$

$$d' = 20 + 12 + 10/2 = 37 \text{ mm}$$

$$d = 130 - 37 = 93 \text{ mm}$$

$$A_s = 1000 \cdot 0,25 \cdot \pi \cdot 10^2 / 200 = 392,6991 \text{ mm}^2$$

penyelesaian:

$$x_b = \frac{600 \cdot d}{600 + f_y} = \frac{600 \cdot 93}{600 + 240} = 66,4286 \text{ mm}$$

$$\begin{aligned} x_{\max} &= 0,75 \cdot x_b \\ &= 0,75 \cdot 66,4286 = 49,8217 \text{ mm} \end{aligned}$$

$$T_s = C_c$$

$$A_s \cdot f_y = 0,85 \cdot f'_c \cdot b \cdot a$$

$$\begin{aligned} a &= A_s \cdot f_y / (0,85 \cdot f'_c \cdot b) \\ &= 392,6991 \cdot 240 / (0,85 \cdot 35 \cdot 1000) \\ &= 3,168 \text{ mm} \end{aligned}$$

$$\begin{aligned} M_n &= T_s (d - a/2) \\ &= 392,6991 \cdot 240 \cdot (93 - 3,168/2) \\ &= 8615755,764 \text{ Nmm} \end{aligned}$$

$$M_n^+ (\text{lap}) = M_n^- (\text{tumpuan}) = 8615755,764 \text{ Nmm}$$

-Perhitungan beban batas dengan teori garis leleh

$$M_{nxx} + M_{npx} = 22664347 + 22664347 = 45,3287 \text{ KNm}$$

$$M_{nny} + M_{npy} = 8615755,764 + 8615755,764 = 17,2315 \text{ KNm}$$

$$\frac{M_{nny} + M_{npy}}{M_{nxx} + M_{npx}} = \frac{17,2315}{45,3287} = 0,3802 < a^2/b^2 = 1,6502$$

Menghitung panjang  $x$

$$4.a.(Mnmx+Mnpx) \cdot x^2 + 4.b^2.(Mnny + Mnpy) \cdot x - 3.a.b^2.(Mnny + Mnpy) = 0$$

$$4 \cdot 9,2 \cdot (45,3287) \cdot x^2 + 4 \cdot 5,575^2 \cdot (17,2315) \cdot x - 3 \cdot 9,2 \cdot 5,575^2 \cdot (17,2315) = 0$$

$$1668,0959 \cdot x^2 + 2142,2646 \cdot x - 14781,6257 = 0$$

$$x^2 + 1,2843 \cdot x - 8,8614 = 0$$

$$x = 2,4032 \text{ m}$$

Beban batas yang terjadi  $W_u/\emptyset$ :

$$\frac{W_u}{\emptyset} = \frac{12 \cdot (b^2 \cdot (Mnny + Mnpy) + 2 \cdot a \cdot x \cdot (Mnmx + Mnpx))}{b^2 \cdot (3 \cdot a \cdot x - 2 \cdot x^2)}$$

$$= \frac{12 \cdot (5,575^2 \cdot (17,2315) + 2 \cdot 9,2 \cdot 2,403^2 \cdot (45,3287))}{5,575^2 \cdot (3 \cdot 9,2 \cdot 2,403 - 2 \cdot 2,403^2)}$$

$$= 17,9025 \text{ KN/m}^2$$

$$\frac{W_u}{\emptyset} = \frac{24 \cdot a \cdot (Mnmx + Mnpx)}{2 \cdot b^2 \cdot x + 3 \cdot b^2 \cdot (a - 2 \cdot x)}$$

$$= \frac{24 \cdot 9,2 \cdot (45,3287)}{2 \cdot 5,575^2 \cdot 2,4032 + 3 \cdot 5,575^2 \cdot (9,2 - 2 \cdot 2,403^2)}$$

$$= 17,9025 \text{ KN/m}^2$$

$$\frac{W_u}{\emptyset} = \frac{6 \cdot (Mnny + Mnpy)}{x^2}$$

$$= \frac{6 \cdot (17,2315)}{2,4032^2}$$

$$= 17,9025 \text{ KN/m}^2$$

Jadi beban merata yang terjadi pada pelat tersebut :

$$q_{ult} = \phi \cdot W_u$$

$$= 0,8 \cdot 17,9025$$

$$= 14,3220 \text{ KN/m}^2 > q = 10,144 \text{ KN/m}^2$$

Pelat tersebut aman untuk mendukung beban walaupun terjadi pembesaran bentang akibat balok induk yang tidak dicor.

### 5.3 Balok

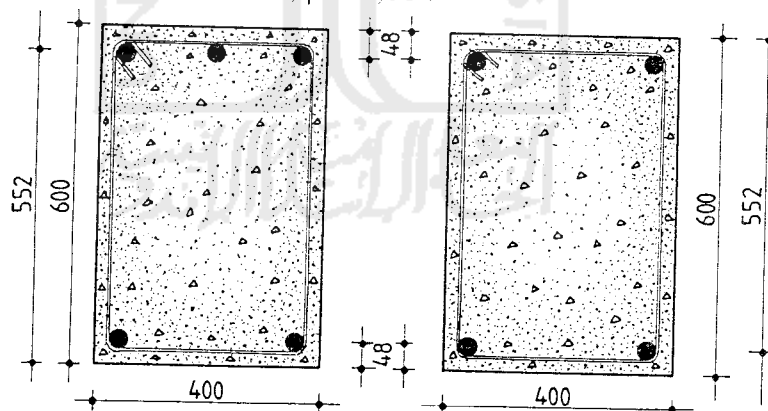
#### 5.3.1 Balok Induk B-8

##### a . Bagian Lapangan

Dari tampang yang terdapat dilapangan didapat data sebagai berikut:

$$d' = 25 + 12 + 22/2 = 48 \text{ mm}; \quad A_s = A_s' = 2 \cdot A_D 22 = 2 \cdot \pi \cdot 0,25 \cdot 22^2 = 760,2654 \text{ mm}^2,$$

$$f_y = 400 \text{ MPa}, \quad f_c = 35 \text{ MPa}, \quad \beta = 0,81.$$



Gambar 5.3.1 Tampang balok B-8

Penyelesaian :

$$d = 600 - 48 = 552 \text{ mm}$$

Mengacu pada prinsip keseimbangan

$$T_s = C_c + C_s$$

$$T_s = A_s \cdot f_y = 760,2654 \cdot 400 = 304106,1689 \text{ mm}^2$$

$$C_c = 0,85 \cdot f'_c \cdot b \cdot \beta_1 \cdot x$$

$$C_s = ((x - d') / x \cdot 0,003 \cdot E_s - 0,85 \cdot f'_c) \cdot A_s'$$

maka :

$$T_s = C_s + C_c$$

$$304106,1689 = 0,85 \cdot f'_c \cdot b \cdot \beta_1 \cdot x + ((x - d') / x) \cdot 0,003 \cdot E_s - 0,85 \cdot f'_c \cdot A_s'$$

$$304106,1689 = 0,85 \cdot 35.400 \cdot 0,81 \cdot x + ((x-48)/x) \cdot 0,003 \cdot 2.10^5 - 0,85 \cdot 35$$

$$760.2654$$

$$9639 \cdot x^2 + 456159,253 \cdot x - 21995644,16 - 22617,896 \cdot x = 304106,1689 \cdot x$$

$$9639 \cdot x^2 + 129435,1881 \cdot x - 2189644,16 = 0$$

$$x^2 + 13,4283 - 2271,5680 = 0$$

$$x = 41,4174 \text{ mm}$$

$$a = 0,81 \cdot 41,4174 = 33,5481 \text{ mm}$$

Apabila daerah beton desak tidak dikurangi luasan tulangan atas maka :

$$304106,1689 = 0,85 \cdot 35.400 \cdot 0,81 \cdot x + ((x - 48) / x \cdot 0,003 \cdot 2.10^5 \cdot 760,2654)$$

$$304106,1689 = 9639 \cdot x + 456159,24 - 21895643,52 / x$$

$$9639 \cdot x^2 + 172053,0711 \cdot x - 21895643 = 0$$

$$x^2 + 15,778 \cdot x + 2271,5679 = 0$$

$$x = 40,4218 \text{ mm}$$

$$a = 0,81 \cdot 40,4218 = 32,7417 \text{ mm}$$

Kontrol kesetimbangan

$$\begin{aligned} C_c &= 0.85 \cdot f'c \cdot b \cdot a = 0,85 \cdot 35 \cdot 400 \cdot 32,7417 \\ &= 389625,8477 \text{ N} \end{aligned}$$

$$\begin{aligned} \epsilon'_s &= (d'-x) / x \cdot 0.003 = \frac{(48 - 40,4218)}{40,4218} \cdot 0,003 \\ &= 0,00056 \leq f_y/E_s = 0,002 \text{ Baja desak belum leleh} \end{aligned}$$

$$\begin{aligned} T_s' &= \epsilon'_s \cdot E_s \cdot A_s' = 0,00056 \cdot 2 \cdot 10^5 \cdot 750,2654 \\ &= 85519,6788 \text{ N} \end{aligned}$$

$$T_s = A_s \cdot f_y = 760,2654 \cdot 400 = 304106,16 \text{ N}$$

$$\begin{aligned} C_c &= T_s' + T_s = 85519,6788 + 304106,16 \\ &= 389625,8388 \text{ N} \quad \text{ok} \end{aligned}$$

Kapasitas Momen Tampang:

$$\begin{aligned} M_n &= T_s' \cdot (d' - a/2) + T_s \cdot (d - a/2) \\ &= 85519,6788 \left( 48 - \frac{32,7147}{2} \right) + 304104,16 \left( 552 - \frac{32,7147}{2} \right) \\ &= 165593045 \text{ Nmm} \end{aligned}$$

$$M_u = \phi \cdot M_n = 0,8 \cdot 165593045 = 132474436 \text{ Nmm}$$

Perhitungan kapasitas tampang dengan balok B-8 dianggap tulangan sebelah

$$\begin{aligned} a &= \frac{A_s \cdot f_y}{0.85 \cdot f'c \cdot b} = \frac{760,2654 \cdot 400}{0,85 \cdot 35 \cdot 400} \\ &= 25,5551 \text{ mm} \end{aligned}$$



$$x = 25,5551/0,81 = 31,5496 \text{ mm}$$

$$\epsilon's = \frac{d'-x}{x} \cdot 0,003 = \frac{48 - 31,5496}{31,5496} \cdot 0,003$$

$$= 0,00156 < f_y/E_s = 0,002 \text{ Baja belum leleh}$$

Kontrol kapasitas momen :

$$M_n = A_s \cdot f_y \cdot (d - a/2)$$

$$= 760,2654 \cdot 400 \cdot (552 - \frac{25,5551}{2}) = 163980687,30 \text{ Nmm}$$

$$M_u = \phi \cdot M_n = 0,8 \cdot 163980687,30 = 131184639,9 \text{ Nmm}$$

### b. bagian tumpuan

Dari data di lapangan didapat:

$$A_s = 3 \cdot D22 = 1140,3981 \text{ mm}^2; A_s' = 2 \cdot D22 = 760,2654 \text{ mm}^2; d' = 48 \text{ mm}$$

$$d = 600 - 48 = 552 \text{ mm}; f_c = 35 \text{ MPa}; f_y = 400 \text{ MPa}$$

$$\rho' = A_s' / b \cdot d = \frac{760,2654}{400 \cdot 552} = 0,00344$$

$$\rho = A_s / b \cdot d = \frac{1140,3981}{400 \cdot 552} = 0,00516$$

Penyelesaian:

$$A_{s1} = A_s - A_s' = 1140,3981 - 760,2654$$

$$= 380,1327 \text{ mm}^2$$

$$\rho - \rho' = 0,0051 - 0,00344 = 0,00172$$

Untuk mengontrol tulangan tekan sudah leleh

$$\begin{aligned} \rho - \rho' &\geq \frac{0,85 \cdot f'c \cdot d'}{f_y \cdot d} \cdot \frac{600}{600 - f_y} \\ &\geq \frac{0,85 \cdot 35 \cdot 48}{400 \cdot 552} \cdot \frac{600}{600 - 400} \\ &\geq 0,0194 \end{aligned}$$

$\rho - \rho' = 0,00172 < 0,0194$  maka tahanan tekan belum leleh

$$C_c + C_s = T_s$$

$$\begin{aligned} 0,85 \cdot f'c \cdot b \cdot \beta_1 \cdot x + ((x-d')/x \cdot 0,003 \cdot E_s - 0,85 \cdot f'c) A_s' &= A_s \cdot f_y \\ 0,85 \cdot 35 \cdot 400 \cdot 0,81 \cdot x + ((x-48)/x \cdot 2 \cdot 10^5 - 0,85 \cdot 35) 760,2654 &= 1140,3981 \cdot \\ 400 \end{aligned}$$

$$9639 \cdot x^2 + 456159,24 \cdot x - 21895643,52 - 22617,897 \cdot x = 456159,24 \cdot$$

$$9639 \cdot x^2 + 22617,8957 \cdot x + 21895643,52 = 0$$

$$x^2 + 2,3465 \cdot x - 2271,5679 = 0$$

$$x = 48,8487 \text{ mm}$$

$$a = 0,81 \cdot 48,8487 = 39,5674 \text{ mm}$$

Apabila luas daerah desak tidak dikurangi luasan tulangan

$$C_c + C_s = T_s$$

$$0,85 \cdot f'c \cdot b \cdot \beta_1 \cdot x + (x-d')/x \cdot 0,003 \cdot E_s \cdot A_s' = A_s \cdot f_y$$

$$\begin{aligned} 0,85 \cdot 35 \cdot 400 \cdot 0,81 \cdot x + (x-48)/x \cdot 0,003 \cdot 2 \cdot 10^5 \cdot 760,2654 &= 1140,3981 \\ \cdot 400 \end{aligned}$$

$$9639 \cdot x^2 - 21895643,52 = 0$$

$$x^2 = \frac{21895643,52}{9639}$$

$$x = 47,6609 \text{ mm}$$

$$a = 0,81 \cdot 47,6609 = 38,6054 \text{ mm}$$

Kontrol keseimbangan:

$$C_c = 0,85 \cdot 35 \cdot 400 \cdot 38,6054$$

$$= 459404,0791 \text{ N}$$

$$\epsilon'_s = (d' - x) / x \cdot 0,003 = \frac{(48 - 47,6609)}{47,6609} \cdot 0,003$$

$$\epsilon'_s = 0,000021 < \epsilon_y = 0,002 \text{ tulangan desak belum luluh}$$

$$T_s' = \epsilon'_s \cdot E_s \cdot A_s'$$

$$= 0,000021 \cdot 2 \cdot 10^5 \cdot 760,2654$$

$$= 3244,8391 \text{ N}$$

$$T_s = A_s \cdot f_y$$

$$= 1140,3981 \cdot 400$$

$$= 456159,24 \text{ N}$$

$$C_c = T_s' + T_s$$

$$= 3244,8391 + 456159,24$$

$$= 459404,071 \text{ N} \text{ ----- ok}$$

Kontrol kapasitas momen tampang:

$$M_n = T_s' (d' - a/2) + T_s (d - a/2)$$

$$= 3244,8391 (48 - 38,6054/2) + 456159,24 (552 - 38,6054/2)$$

$$= 243087917,10 \text{ Nmm}$$

$$M_u = \phi \cdot M_n = 0,8 \cdot 243087917,10$$

$$= 194470333,70 \text{ Nmm}$$

Perhitungan kapasitas tampang dengan balok dianggap tulangan sebelah:

$$C_c = T_s$$

$$0,85 \cdot f'_c \cdot b \cdot a = A_s \cdot f_y$$

$$a = \frac{1140,400}{0,85 \cdot 35 \cdot 400} = 38,3327 \text{ mm}$$

$$x = 38,327/0,81 = 47,3243$$

$$\epsilon'_s = (d' - x)/x \cdot 0,003 = \frac{48 - 47,3243}{47,3243} \cdot 0,003 = 0,000043$$

$$C_c = 0,85 \cdot 35 \cdot 400 \cdot 38,3327 = 456159,13 \text{ N}$$

$$T_s = A_s \cdot f_y = 1140,3981 \cdot 400 = 456159,24 \text{ N}$$

Kontrol kapasitas Momen tampang

$$M_n = T_s \cdot (d - a/2)$$

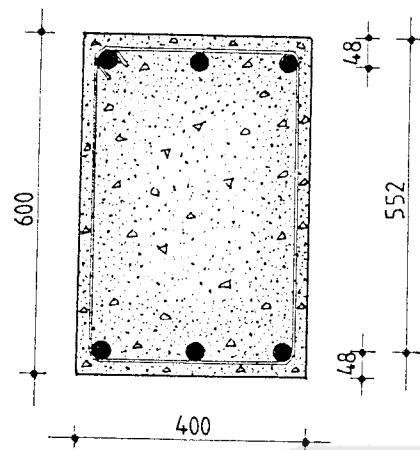
$$= 456159,24 \cdot (552 - 38,3327/2)$$

$$= 243056992,8 \text{ Nmm}$$

$$M_u = \phi \cdot M_n = 0,8 \cdot 243056992,8$$

$$= 192285594,24 \text{ Nmm}$$

## 5.3.2 Balok B - 37



$$h = 600 \text{ mm}, b = 400 \text{ mm}$$

$$d' = 25 + 12 + 22/2 = 48 \text{ mm}$$

$$d = 600 - 48 = 552 \text{ mm}$$

$$f'c = 35 \text{ MPa}, \beta = 0.81$$

$$f_y = 400 \text{ MPa}$$

Gambar 5.3.2 Tampang Balok B-37

$$A_s = A_s' = 3 \cdot D22 = 3 \cdot 0,25 \cdot \pi \cdot 22^2 = 1140,381 \text{ mm}^2$$

$$T_s = C_c + C_s$$

$$A_s \cdot f_y = \left( 0,003 \cdot \frac{(x-d')}{x} \cdot E_s - 0,85 \cdot f'c \right) A_s' + 0,85 \cdot f'c \cdot b \cdot \beta \cdot x$$

$$1140,3981 \cdot 400 = \left( 0,003 \cdot \left( \frac{x-48}{x} \right) \cdot 2 \cdot 10^5 - 0,85 \cdot 35 \right) \cdot 1140,3981 + 0,85 \cdot$$

$$35 \cdot 400 \cdot 0,81 \cdot x$$

$$456159,24 = 684238,86 - \frac{32843465,28}{x} - 3326,8435 + 9639 \cdot x$$

$$9639 \cdot x - \frac{32843465,28}{x} + 191452,7765 = 0$$

$$9639 \cdot x^2 + 191452,7765 \cdot x - 32843465,28 = 0$$

$$x^2 + 20,1424 \cdot x - 3407,3519 = 0$$

$$x = 49,1638 \text{ mm}$$

Apabila luas beton desak tidak dikurangi luasan tulangan desak maka,

$$T_s = C_s + C_c$$

$$A_s \cdot f_y = 0,85 \cdot f_c \cdot b \cdot \beta_1 \cdot x + (x - d')/x \cdot 0,003 \cdot E_s \cdot A_s'$$

$$1140,3981 \cdot 400 = 0,85 \cdot 35 \cdot 400 \cdot 0,81 \cdot x + \frac{x - 48}{x} \cdot 0,003 \cdot 2 \cdot 10^5 \cdot 1140,3981$$

$$456159,24 = 9639 \cdot x + 684238,86 - \frac{32843465,28}{x}$$

$$9639 \cdot x^2 + 228079,62 \cdot x - 32843465,28 = 0$$

$$x^2 + 23,6622 \cdot x - 3407,3519 = 0$$

$$x = 47,7248 \text{ mm}$$

$$a = 0,81 \cdot 47,7248 = 38,6599 \text{ mm}$$

Kontrol keseimbangan

$$\begin{aligned} C_c &= 0,85 \cdot f_c \cdot b \cdot a \\ &= 0,85 \cdot 35 \cdot 400 \cdot 38,6599 \\ &= 460053,5971 \text{ N} \end{aligned}$$

$$\begin{aligned} \epsilon's &= (d' - x)/x \cdot 0,003 \\ &= \frac{(48 - 47,7284)}{47,7284} \cdot 0,003 \\ &= 0,000017 < f_y/E_s = 0,002 \text{ baja tekan belum luluh} \end{aligned}$$

$$\begin{aligned} T_s' &= \epsilon's \cdot E_s \cdot A_s' \\ &= 0,000017 \cdot 2 \cdot 10^5 \cdot 1140,3981 \\ &= 3894,3571 \text{ N} \end{aligned}$$

$$\begin{aligned} T_s &= A_s \cdot f_y = 1140,3981 \cdot 400 \\ &= 456159,24 \text{ N} \end{aligned}$$

$$\begin{aligned}
 C_c &= T_{s'} + T_s \\
 &= 3894,3571 + 456159,24 \\
 &= 460053,5971 \text{ N} \text{ ----- ok}
 \end{aligned}$$

Kapasitas momen tampang

$$\begin{aligned}
 M_n &= T_{s'} \cdot (d' - a/2) + T_s \cdot (d - a/2) \\
 &= 3894,3571 \cdot (48 - 38,6599/2) + 456159,24 \cdot (552 - 38,6599/2) \\
 &= 243094001,40 \text{ Nmm} \\
 M_u &= \phi \cdot M_n = 0,8 \cdot 243094001,40 \\
 &= 194475201,10 \text{ Nmm}
 \end{aligned}$$

### 5.3.3 Balok Anak B - 21

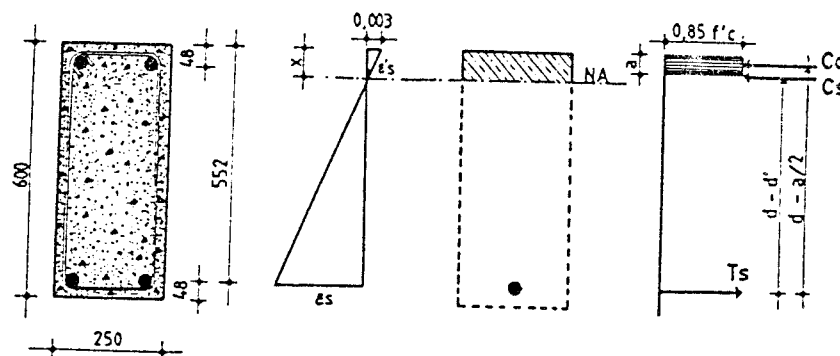
Data :

$$d' = 25 + 22/2 + 12 = 48 \text{ mm}$$

$$d = 552 \text{ mm}$$

$$A_s = A_{s'} = 2 \cdot D22 = 760,2654 \text{ mm}^2$$

$$f'_c = 35 \text{ MPa}, \beta_1 = 0,81; f_y = 400 \text{ MPa}$$



Gambar 5.3.3 Tampang Balok Anak B-21

-penyelesaian

$$T_s = C_c + C_s$$

$$A_s \cdot f_y = 0,85 \cdot F'c \cdot b \cdot \beta_1 \cdot x + ((x-d')/x) \cdot 0,003 \cdot E_s - 0,85 \cdot f'c) A_s'$$

$$760,2654 \cdot 400 = 0,85 \cdot 35 \cdot 250 \cdot 0,81 \cdot x + ((\frac{x-48}{x}) \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 35) 760,2654$$

$$304106,16 \cdot x = 6024,375 x^2 + ((x-48) \cdot 600 - 2975 \cdot x) \cdot 760,2654$$

$$6024,375 \cdot x^2 + 456159,24 \cdot x - 21895643,52 - 226178957 \cdot x - 304106,16 \cdot x = 0$$

$$6024,375 \cdot x^2 + 129435,1844 \cdot x - 21895643,52 = 0$$

$$x^2 + 21,4852 \cdot x - 3634,5087 = 0$$

$$x = 50,4939 \text{ mm ,}$$

$$a = 0,81 \cdot 50,4939$$

$$= 40,9 \text{ mm}$$

Kontrol keseimbangan

$$C_c = 0,85 \cdot f'c \cdot b \cdot a$$

$$= 0,85 \cdot 35 \cdot 250 \cdot 40,9$$

$$= 304194,3487 \text{ N}$$

$$\epsilon'_s = \frac{50,4939 - 48}{50,4939} \cdot 0,003 = 0,000148 < f_y / E_s = 0,002$$

$$C_s = (0,000148 \cdot 2 \cdot 10^5 - 0,85 \cdot 35) 760,2654$$

$$= -114,03981 \text{ N}$$

$$T_s = 760,2654 \cdot 40 = 304106,16 \text{ N}$$



Kontrol kapasitas momen tampang

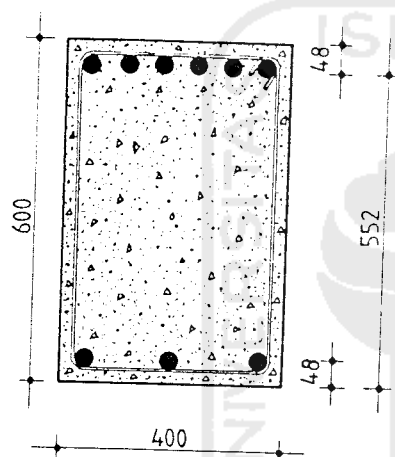
$$M_n = C_c (d-a/2) + C_s (d - d')$$

$$= 304194,34194 (552 - 40,9/2) + 114,03981 (552 - 48) = 161751982,54 \text{ Nmm}$$

$$M_u = \varphi \cdot M_n = 0,8 \cdot 161751982,54 = 129401586,032 \text{ Nmm}$$

### 5.3.4 Balok B-1

- Bagian Tumpuan Kiri



Dari data dilapangan di-peroleh:

$$d' = 25 + 12 + 22/2 = 48 \text{ mm}$$

$$b = 400 ; h = 600$$

$$f'_c = 35 \text{ MPa} ; f_y = 400 \text{ MPa}$$

Gambar 5.3.4 Tampang Balok B-1

$$A_{s'} = 3 \text{ D } 22 = 1140,381 \text{ mm}^2 ; A_s = 6 \text{ D } 22 = 2280,7962 \text{ mm}^2$$

$$\rho = \frac{A_s}{b \cdot d} = \frac{2280,7962}{400 \cdot 552} = 0,01033$$

$$\rho' = \frac{A_{s'}}{b \cdot d} = \frac{1140,3981}{400 \cdot 552} = 0,00516$$

$$\rho - \rho' = 0,01033 - 0,00516 = 0,00516$$

Kontrol lelehnya tulangan tekan

$$\rho - \rho' \geq \frac{0,85 \cdot 0,81 \cdot f'c \cdot d'}{f_y \cdot d} \cdot \frac{600}{600 - f_y}$$

$$\rho - \rho' \geq \frac{0,85 \cdot 0,81 \cdot 35 \cdot 48}{400 \cdot 552} \cdot \frac{600}{600 - 400}$$

$$\rho - \rho' \geq 0,0152$$

0,00516 < 0,0152 jadi tulangan tekan belum leleh

$$T_s = C_c + C_s$$

$$A_s \cdot f_y = 0,85 \cdot f'c \cdot b \cdot \beta_1 \cdot x + ((x-d')/x) \cdot 0,003 \cdot E_s - 0,85 \cdot f'c \cdot A_s'$$

$$2280,7962 \cdot 400 = 0,85 \cdot 35 \cdot 400 \cdot 0,81 \cdot x + \left( \frac{x-48}{x} \right) \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 35 \cdot 1140,398$$

$$912318,48 \cdot x = 9639 \cdot x^2 + ((x-48) \cdot 600 - 29,75 \cdot x) \cdot 1140,398$$

$$9639 \cdot x^2 + 684238,8 \cdot x - 32843462,40 - 33926,8405 \cdot x = 0$$

$$9639 \cdot x^2 + 650311,96 \cdot x - 32843462,40 = 0$$

$$x^2 + 27,1819 \cdot x - 3407,3516 = 0$$

$$x = 73,5248 \text{ mm}$$

$$a = 0,81 \cdot 73,5248$$

$$= 59,551 \text{ mm}$$

Maka,

$$C_c = 0,85 \cdot f'c \cdot a \cdot b$$

$$= 0,85 \cdot 35 \cdot 59,551 \cdot 400$$

$$= 708705,5956 \text{ N}$$

$$\epsilon_s' = \frac{(x - d')}{x} \cdot 0,003 = \frac{(73,5248 - 48)}{73,5248} \cdot 0,003 = 0,00104 < 0,002$$

$$\begin{aligned} C_s &= \left( \frac{x - d'}{x} \cdot 0,003 \cdot 2 \cdot 10^5 \cdot -0,85 \cdot 35 \right) \\ &= \left( \frac{73,5248 - 48}{73,5248} \cdot 0,003 \cdot 2 \cdot 10^5 \cdot -0,85 \cdot f_c \right) \\ &= 203612,8844 \text{ N} \end{aligned}$$

$$T_s = C_c + C_s$$

$$\begin{aligned} 912318,48 \text{ N} &= 708705,5956 \text{ N} + 203612,8844 \text{ N} \\ &= 912318,48 \text{ N} \quad \text{Ok} \end{aligned}$$

Kapasitas Momen Tampang

$$\begin{aligned} M_n &= C_c \cdot (d - \frac{1}{2} \cdot a) + C_s \cdot (d - d') \\ &= 708705,5956 \cdot (552 - \frac{1}{2} \cdot 59,551) + 203612,8844 \cdot (552 - 48) \\ &= 472722869 \text{ Nmm} \end{aligned}$$

$$\begin{aligned} M_u &= \phi \cdot M_n = 0,8 \cdot 472722869 \\ &= 378178295,20 \text{ Nmm} \end{aligned}$$

- Bagian Lapangan

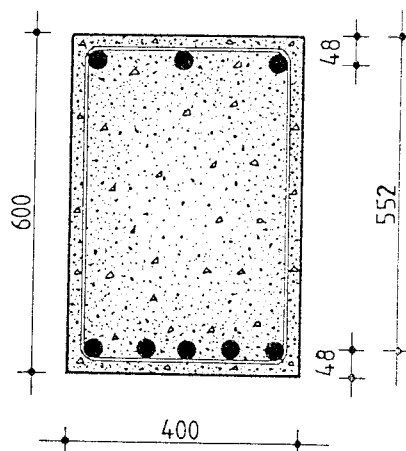
$$d = 25 + 12 + 22/2 = 48 \text{ mm}$$

$$b = 400 \text{ mm} ; h = 600 \text{ mm}$$

$$d' = 600 - 48 = 552 \text{ mm}$$

$$A_s = 3 \text{ D } 22 = 1140,390 \text{ mm}^2$$

$$A_s' = 5 \text{ D } 22 = 1900,664 \text{ mm}^2$$



$$f_c = 35 \text{ MPa} ; f_y = 400 \text{ MPa}$$

$$\rho = \frac{A_s}{b \cdot d} = \frac{1900,644}{400 \cdot 552} = 0,0086$$

$$\rho' = \frac{A_s'}{b \cdot d} = \frac{1140,3981}{400 \cdot 552} = 0,00516$$

$$\rho - \rho' = 0,0086 - 0,00516 = 0,00345$$

Kontrol lelehnya tulangan tekan

$$\rho - \rho' \geq \frac{0,85 \cdot 0,81 \cdot f'_c \cdot d'}{f_y \cdot d} \cdot \frac{600}{600 - f_y}$$

$$\rho - \rho' \geq \frac{0,85 \cdot 0,81 \cdot 35 \cdot 48}{400 \cdot 552} \cdot \frac{600}{600 - 400}$$

$$\rho - \rho' \geq 0,01572$$

$0,00345 < 0,01572$  jadi tulangan tekan belum leleh

$$T_s = C_c + C_s$$

$$A_s \cdot f_y = 0,85 \cdot f'_c \cdot b \cdot \beta_1 \cdot x + ((x - d')/x) \cdot 0,003 \cdot E_s - 0,85 \cdot f'_c) A_s'$$

$$1900,644 \cdot 400 = 0,85 \cdot 35 \cdot 400 \cdot 0,81 \cdot x + \left( \frac{x - 48}{x} \right) \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 35) 1140,398$$

$$760265,422 \cdot x = 9639 \cdot x^2 + ((x - 48) \cdot 600 - 29,75 \cdot x) \cdot 1140,398$$

$$9639 \cdot x^2 + 684238,8 \cdot x - 32843462,40 - 33926,8405 \cdot x = 760265,422 \cdot x$$

$$x^2 - 11,4071 \cdot x - 3407,3516 = 0$$

$$x = 64,3541 \text{ mm} ,$$

$$a = 0,81 \cdot 64,3541$$

$$= 52,1268 \text{ mm}$$

Maka,

$$\begin{aligned} C_c &= 0,85 \cdot f_c \cdot a \cdot b \\ &= 0,85 \cdot 35 \cdot 52,1268 \cdot 400 \\ &= 620308,9981 \text{ N} \end{aligned}$$

$$\epsilon_s' = \frac{(x - d')}{x} \cdot 0,003 = \frac{(64,3541 - 48)}{64,3541} \cdot 0,003 = 0,00076 < 0,002$$

$$\begin{aligned} C_s &= \left( \frac{x - d'}{x} \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot f_c \right) \cdot A_s' \\ &= \left( \frac{64,3541 - 48}{64,3541} \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 35 \right) \cdot 1140,398 \\ &= 139956,4353 \text{ N} \end{aligned}$$

$$T_s = A_s \cdot f_y = 1900,644 \cdot 400 = 760265,4222 \text{ N}$$

$$T_s = C_c + C_s$$

$$\begin{aligned} 760265,4222 \text{ N} &= 620308,991 \text{ N} + 139956,4353 \text{ N} \\ &= 760265,4222 \text{ N} \quad \text{Ok} \end{aligned}$$

Kapasitas Momen Tampang

$$\begin{aligned} M_n &= C_c \cdot (d - \frac{1}{2} \cdot a) + C_s \cdot (d - d') \\ &= 620308,991 \cdot (552 - \frac{1}{2} \cdot 59,551) + 139956,4353 \cdot (552 - 48) \\ &= 396781246,80 \text{ Nmm} \end{aligned}$$

$$\begin{aligned} M_u &= \phi \cdot M_n \\ &= 0,8 \cdot 396781246,80 \\ &= 317424997,40 \text{ Nmm} \end{aligned}$$

- Bagian Tumpuan Kanan

Spesifikasi bahan sama dengan bagian lain kecuali,

$$A_s' = 4 \text{ D } 22 = 1520,531 \text{ mm}^2$$

$$A_s = 7 \text{ D } 22 = 2660,929 \text{ mm}^2$$

$$d = 600 - 63 = 537 \text{ mm}$$

$$\rho = \frac{A_s}{b \cdot d} = \frac{2660,929}{400 \cdot 537} = 0,01238$$

$$\rho' = \frac{A_s'}{b \cdot d} = \frac{1520,531}{400 \cdot 537} = 0,00708$$

$$\rho - \rho' = 0,01236 - 0,00708 = 0,0053$$

Kontrol lelehnya tulangan tekan

$$\rho - \rho' \geq \frac{0,85 \cdot 0,81 \cdot f'c \cdot d'}{f_y \cdot d} \cdot \frac{600}{600 - f_y}$$

$$\rho - \rho' \geq \frac{0,85 \cdot 0,81 \cdot 35 \cdot 48}{400 \cdot 537} \cdot \frac{600}{600 - 400}$$

$$\rho - \rho' \geq 0,0162$$

$0,00345 < 0,01572$  jadi tulangan tekan belum leleh

$$T_s = C_c + C_s$$

$$A_s \cdot f_y = 0,85 \cdot f'c \cdot b \cdot \beta_1 \cdot x + ((x - d')/x) \cdot 0,003 \cdot E_s - 0,85 \cdot f'c) A_s'$$

$$2660,929 \cdot 400 = 0,85 \cdot 35 \cdot 400 \cdot 0,81 \cdot x + \left( \frac{x - 48}{x} \right) \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 35) 1520,531$$

$$1064371,591 \cdot x = 9639 \cdot x^2 + ((x - 48) \cdot 600 - 29,75 \cdot x) \cdot 150,531$$

$$9639 \cdot x^2 + 912318,5066 \cdot x - 43791288,32 - 45235,7926 \cdot x = 1064371,591 \cdot x$$

$$x^2 - 20,4678x - 4543,1360 = 0$$

$$x = 78,4092 \text{ mm ,}$$

$$\begin{aligned} a &= 0,81 \cdot 78,4092 \\ &= 63,5114 \text{ mm} \end{aligned}$$

Maka,

$$C_c = 0,85 \cdot f_c \cdot a \cdot b$$

$$= 0,85 \cdot 35 \cdot 63,5114 \cdot 400$$

$$= 755785,9403 \text{ N}$$

$$e_s' = \frac{(x - d')}{x} \cdot 0,003 = \frac{(78,4092 - 48)}{78,4092} \cdot 0,003 = 0,0012 < 0,002$$

$$C_s = \left( \frac{x - d'}{x} \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot f_c \right) \cdot A_s'$$

$$= \left( \frac{78,4092 - 48}{78,4092} \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 35 \right) \cdot 1520,531$$

$$= 308585,6507 \text{ N}$$

$$T_s = A_s \cdot f_y = 2660,929 \cdot 400 = 1064371,591 \text{ N}$$

$$T_s = C_c + C_s$$

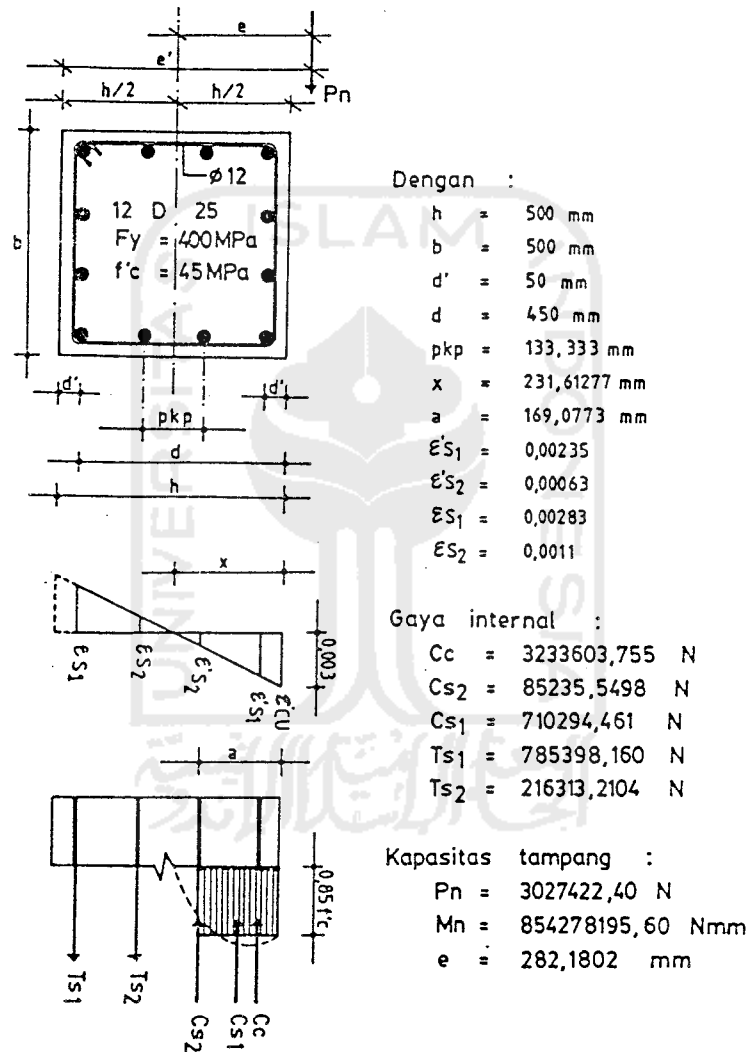
$$1064371,591 \text{ N} = 755785,9403 \text{ N} + 308585,6507 \text{ N}$$

$$= 1064371,591 \text{ N} \quad \text{Ok}$$

Kapasitas Momen Tampang

$$M_n = C_c \cdot (d - \frac{1}{2} \cdot a) + C_s \cdot (d - d')$$

$$= 755785,9403 \cdot (537 - \frac{1}{2} \cdot 63,5114) + 308585,6507 \cdot (537 - 48)$$



Gambar 5.4.1 Tampang dan diagram tegangan Kolom K11



$$\varepsilon's_2 = \frac{x - (d' + p_{kp})}{x} \cdot 0,003 = \frac{257,1492 - (50 + 133,33)}{257,1492} \cdot 0,003$$

$$= 0,00086 < 0,002 \text{ baja tulangan belum leleh}$$

$$\varepsilon_{s1} = \frac{d - x'}{x} \cdot 0,003 = \frac{450 - 257,1492}{257,1492} \cdot 0,003 = 0,00225 > 0,002$$

$$\varepsilon_{s2} = \frac{(d - x) - p_{kp}}{(d - x)} \cdot 0,003 = \frac{(450 - 257,1492) - 133,333}{(450 - 257,1492)} \cdot 0,003$$

$$= 0,00069 < 0,002$$

$$C_c = 0,85 \cdot f'_c \cdot a \cdot b = 0,85 \cdot 45 \cdot 187,7143 \cdot 500 = 3590035,714 \text{ N}$$

$$C_s = A_s'1 \cdot f'_s1 + A_s'2 \cdot f'_s2$$

$$= 1963,4954 \cdot 400 + 981,7477 \cdot 0,00086 \cdot 2 \cdot 10^5$$

$$= 954258,7651 \text{ N}$$

$$T_s = A_s1 \cdot f_s1 + A_s2 \cdot f_s2$$

$$= 1963,4954 \cdot 400 + 981,7477 \cdot 0,00069 \cdot 2 \cdot 10^5$$

$$= 920879,3426 \text{ N}$$

$$P_b = C_c + C_s + T_s = 3590035,714 + 954258,7651 - 920879,3426$$

$$= 3623415,137 \text{ N}$$

$$M_b = C_c \cdot (\frac{1}{2}h - \frac{1}{2}a) + C's1 \cdot (\frac{1}{2}h - d') + C_s2 \cdot [\frac{1}{2}h - (d' - p_{kp})]$$

$$+ T_s1 \cdot (\frac{1}{2}h - d') + T_s2 \cdot [\frac{1}{2}h - (d' - p_{kp})]$$

$$= 3590035,714 \cdot (250 - 93,85715) + 785398,1634 \cdot (250 - 50)$$

$$+ 168860,6051 \cdot [250 - (-(50 + 133,333))] + 785398,1643$$

$$\cdot (250 - 50) + 135481,1832 \cdot [250 - (-(50 + 133,333))]$$

$$= 895007161,70 \text{ Nmm}$$

$$e_b = \frac{M_b}{P_b} = \frac{895007161,7}{3623415,137} = 247,0065 \text{ mm}$$

Beban Aksial dan momen Kolom K11 yang didapat dari analisis struktur adalah sebagai berikut ini.

$$\text{Momen} = 112990000 \text{ Nmm}$$

$$\text{Aksial} = 364418,08 \text{ N} + \text{berat sendiri}$$

$$= 364418,08 \text{ N} + 3600 \text{ N}$$

$$= 400418,08 \text{ N}$$

$$e = \frac{112990000}{400418,08} = 282,1801 \text{ mm} > e_b = 247,0065 \text{ mm}$$

kolom mengalami patah tarik

Regangan yang terjadi lebih kecil atau lebih besar dari  $\epsilon_y = 0,002$ , luasan beton diperhitungkan penuh.

- Tulangan tekan  $A_s'1$  dimisalkan sudah leleh :

$$C_{s1} = (f_y - 0,85 \cdot f'_c) \cdot A_s'1 = (400 - 0,85 \cdot 45) \cdot 1963,4954$$

$$= 710294,464 \text{ N}$$

- Tulangan tekan  $A_s'2$  dimisalkan belum leleh:

$$C_{s2} = \left( \frac{x - (d' + p_{kp})}{x} \cdot 0,003 \cdot E_s - 0,85 \cdot f'_c \right) \cdot A_s'2$$

$$= \left( \frac{x - 183,333}{x} \cdot 600 - 38,25 \right) \cdot 981,7477$$

$$= 589048.62 - \frac{107992227,4}{x} - 37551,8495$$

- Tulangan tarik As2 dianggap sudah leleh:

$$T_{s2} = \left[ \frac{(d - p_{kp}) - x}{x} \cdot 0,003 \cdot E_s \right] \cdot A_{s2}$$

$$= \left( \frac{316,6667 - x}{x} \cdot 600 \right) \cdot 981,7477$$

$$= \frac{186532082,60}{x} - 589048,620$$

- gaya tekan beton

$$C_c = 0,85 \cdot f'_c \cdot b \cdot \beta_1 \cdot x$$

$$= 0,85 \cdot 45 \cdot 500 \cdot 0,73 \cdot x$$

$$= 13961,25 \cdot x$$

$$P_n = C_c - C_{s1} + C_{s2} - T_{s1} - T_{s2}$$

$$= 13961,25 \cdot x - 710294,464 + 589048,62 - \frac{107992227,4}{x} - 37551,8495 -$$

$$785398,16 - \frac{186532082,60}{x} - 589048,620$$

$$= 13961,25 \cdot x - \frac{294524310}{x} + 1065441,695$$

$$\Sigma M_{T_{s1}} = 0$$

$$P_n \cdot [e + \frac{1}{2}(d - d')] + T_{s2} \cdot (p_{kp}) = C_c \cdot (d - \frac{1}{2}(\beta_1 \cdot x)) + C_{s1} \cdot (d - d') + C_{s2} \cdot [d - (d' + p_{kp})]$$

$$(13961,25 \cdot x - \frac{294524310}{x} + 1065441,695) \cdot (282,1801 + \frac{1}{2}(450 - 50))$$

$$\begin{aligned}
 &+ \left( \frac{186532082,60}{x} - 589048,62 \right) \cdot 133,333 = 13961,25 \cdot x \cdot (450 - \frac{1}{2}(0,73 \cdot x)) \\
 &+ 710294,464 \cdot (450 - 50) + (589048,62 - \frac{107992227,4}{x} - 37551,8495) \\
 &\cdot [450 \cdot (50 + 133,333)]
 \end{aligned}$$

Persamaan diatas menghasilkan persamaan pangkat tiga berikut ini:

$$x^3 + 88,16465664 \cdot x^2 + 787,18414 \cdot x + 17336613,7 = 0$$

Dengan metode Newton Raphson didapat

$$X = 231,6127678 \text{ mm}$$

kontrol x:

$$\begin{aligned}
 (231,6127678)^3 + 88,16465664 \cdot (231,6127678)^2 + 787,18414 \cdot 231,6127678 - \\
 17336613,70 = 0 \text{ ---- ok}
 \end{aligned}$$

Kontrol regangan

$$\epsilon's1 = \frac{x - d'}{x} \cdot 0,003 = \frac{231,6127678 - 50}{231,6127678} \cdot 0,003 = 0,00235 > 0,002$$

baja sudah leleh

$$\epsilon's2 = \frac{x - (d' + p_{kp})}{x} \cdot 0,003 = \frac{231,6127678 - (50 + 133,33)}{231,6127678} \cdot 0,003$$

$$= 0,00063 < 0,002 \text{ baja tulangan belum leleh}$$

$$\epsilon_s1 = \frac{d - x'}{x} \cdot 0,003 = \frac{450 - 231,6127678}{231,6127678} \cdot 0,003 = 0,00283 > 0,002$$

$$\epsilon_s2 = \frac{(d - x) - p_{kp}}{(d - x)} \cdot 0,003 = \frac{(450 - 231,6127678) - 133,333}{(450 - 231,6127678)} \cdot 0,003$$

$$= 0,0011 < 0,002$$

Jadi semua regangan yang terjadi sesuai dengan anggapan semula.

$$\begin{aligned}
 P_n &= 13961,25 \cdot x - \frac{294524310}{x} + 1065441,695 \\
 &= 13961,25 \cdot 231,6127678 - \frac{294524310}{231,6127678} + 1065441,695 \\
 &= 3027420,641 \text{ N.}
 \end{aligned}$$

$$\begin{aligned}
 P_n \cdot e &= C_c \cdot \left( \frac{h}{2} - \frac{\beta_1 \cdot x}{2} \right) + C_s1 \left( \frac{h}{2} - d' \right) + C_s2 \left[ \frac{h}{2} - (d' + p_{kp}) \right] \\
 &\quad + T_s1 \left( \frac{h}{2} - d' \right) + T_s2 \left[ \frac{h}{2} - (d' + p_{kp}) \right]
 \end{aligned}$$

dengan,

$$\begin{aligned}
 C_c &= 0,85 \cdot f'_c \cdot \beta_1 \cdot x \cdot b = 0,85 \cdot 45 \cdot 0,73 \cdot 231,6127678 \cdot 500 \\
 &= 3233603,755 \text{ N}
 \end{aligned}$$

$$\begin{aligned}
 C_s &= \left[ \frac{x - (d' + p_{kp})}{x} \cdot 0,003 \cdot E_s - 0,85 \cdot f'_c \right] \cdot A_s2 \\
 &= \left[ \frac{231,6127678 - (50 + 133,333)}{231,6127678} \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 45 \right] \cdot 981,7477 \\
 &= 85235,5498 \text{ N}
 \end{aligned}$$

$$\begin{aligned}
 C_s1 &= (f'_s - 0,85 \cdot f'_c) \cdot A_s'1 \quad \text{---- } \epsilon'_s > \epsilon_y \text{ jadi } f'_s = f_y \\
 &= (400 - 0,85 \cdot 45) \cdot 1963,4954 = 710294,461 \text{ N}
 \end{aligned}$$

$$\begin{aligned}
 T_s1 &= f_y \cdot A_s1 \\
 &= 400 \cdot 1963,4954 \\
 &= 785398,160 \text{ N}
 \end{aligned}$$

$$\begin{aligned}
 T_{s2} &= \frac{(d - p_{kp}) - x}{x} \cdot 0,003 \cdot E_s \cdot A_s^2 \\
 &= \frac{(450 - 133,33) - 231,6127678}{231,6127678} \cdot 0,003 \cdot 200000 \cdot 981,7477 \\
 &= 216313,2104 \text{ N} \\
 P_{n.e} &= 3233603,755 \cdot \left( \frac{500}{2} - \frac{0,73 \cdot 231,6127678}{2} \right) + 710294,461 \cdot \left( \frac{500}{2} - 50' \right) + \\
 &\quad 85235,5498 \left[ \frac{500}{2} - (50' + 133,33) \right] + 785398,160 \cdot \left( \frac{500}{2} - 50' \right) + \\
 &\quad 216313,2104 \left[ \frac{500}{2} - (50 + 133,333) \right] \\
 3027420,641 \cdot 282,1801 &= 3233603,755 \cdot (165,46134) + 710294,461 \\
 \cdot (200) + 85235,5498 \cdot (66,667) &+ 785398,160 \cdot (200) + 216313,2104 \cdot (66,667) \\
 854277,859,20 \text{ Nmm} &\approx 854278195,60 \text{ Nmm} \\
 \text{selisih } 336,359 \text{ Nmm} &\text{ ----- } 0k
 \end{aligned}$$

Maka kapasitas ultimit tampang kolom tersebut adalah:

$$P_u = \phi \cdot P_n = 0,65 \cdot 3027420,641 = 1967823,417 \text{ N}$$

$$M_u = \phi \cdot M_n = 0,65 \cdot 854278195,60 = 55280827,10 \text{ Nmm}$$

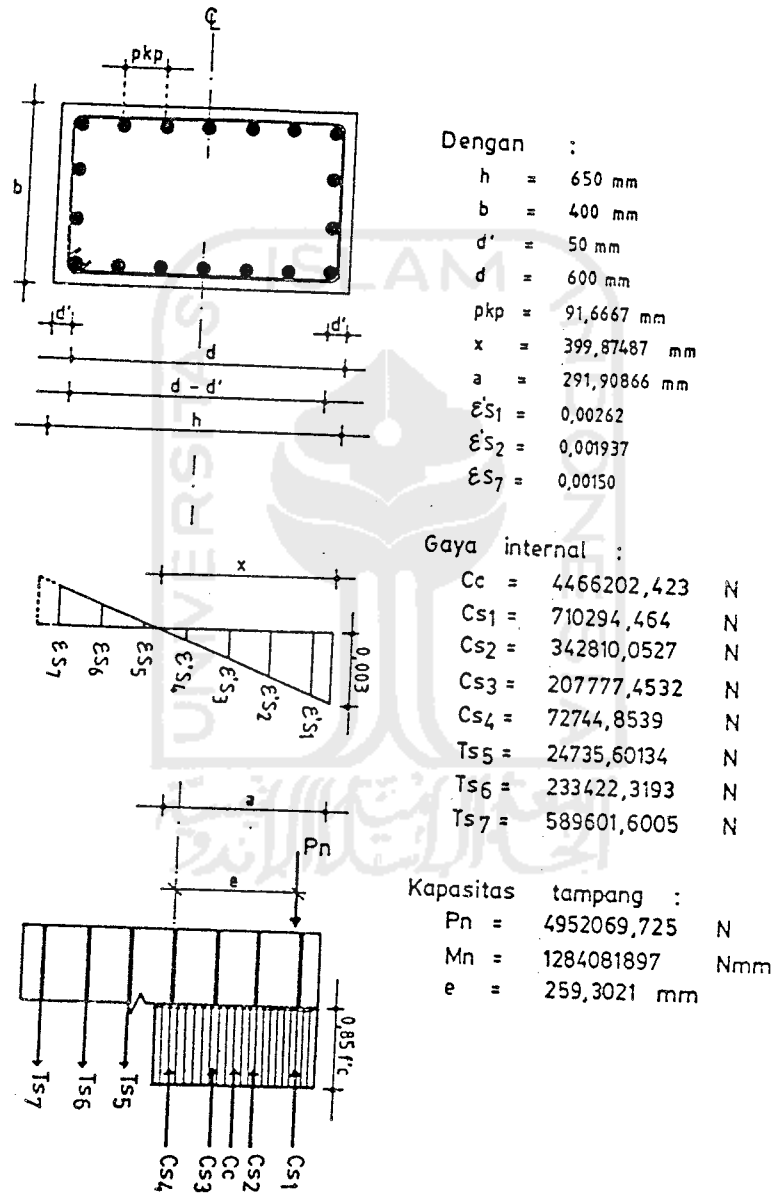
#### 5.4.2 Kolom 14

Dari data di lapangan diketahui:

1. dimensi Kolom = 400 mm x 650 mm,
2.  $d' = 25 + 12 + \frac{1}{2} \cdot 25 = 50 \text{ mm}$  ;  $d = 650 - 50 = 600 \text{ mm}$ ,

3.  $f_c = 45 \text{ MPa}$  ;  $f_y = 400 \text{ MPa}$ ,

4. jarak tulangan (p.k.p) =  $\frac{650 - 2 \cdot (50)}{6} = 91,667 \text{ mm}$ .



Gambar 5.4.2 Diagram Tegangan dan Regangan Tampang Kolom K14

Penyelesaian analisis adalah sebagai berikut ini.

a. Analisis pada kondisi regangan seimbang.

$$x_b = \frac{0,003 \cdot d}{(f_y / e_s) + 0,003} = \frac{0,003 \cdot (600)}{(400 / 200000) + 0,003} = 360 \text{ mm}$$

$$a_b = 0,73 \cdot 360 = 262,8 \text{ mm.}$$

Regangan yang terjadi pada Baja Tulangan.

$$\epsilon'_{s1} = \frac{x - d'}{x} \cdot 0,003 = \frac{360 - 50}{360} \cdot 0,003 = 0,002583 > 0,002 \quad \text{baja sudah leleh}$$

$$\epsilon'_{s2} = \frac{x - (d' + p_{kp})}{x} \cdot 0,003 = \frac{360 - (50 + 91,6667)}{360} \cdot 0,003$$

$$= 0,001819 < 0,002 \quad \text{baja tulangan belum leleh}$$

$$\epsilon'_{s3} = \frac{x - (d' + 2 \cdot p_{kp})}{x} \cdot 0,003 = \frac{360 - (50 + 2 \cdot 91,6667)}{360} \cdot 0,003 = 0,00106 < 0,002$$

$$\epsilon'_{s4} = \frac{x - (d' + 3 \cdot p_{kp})}{x} \cdot 0,003 = \frac{360 - (50 + 3 \cdot 91,6667)}{360} \cdot 0,003$$

$$= 0,000292 < 0,002$$

$$\epsilon_{s7} = \frac{d - x}{x} \cdot 0,003 = \frac{600 - 360}{360} \cdot 0,003 = 0,002$$

$$\epsilon_{s6} = \frac{d - (x + p_{kp})}{x} \cdot 0,003 = \frac{600 - (360 + 91,6667)}{360} \cdot 0,003$$

$$= 0,001236$$

$$\epsilon_{s5} = \frac{d - (x + 2 \cdot p_{kp})}{x} \cdot 0,003 = \frac{600 - (360 + 2 \cdot 91,6667)}{360} \cdot 0,003$$

$$= 0,000472$$



Maka:

$$C_c = 0,85 \cdot f_c \cdot a_b \cdot b = 0,85 \cdot 45 \cdot 262,8 \cdot 500 = 4020840 \text{ N}$$

$$\begin{aligned} C_{s1} &= (f_{s1} - 0,85 \cdot f_c) \cdot A_{s1} = (400 - 0,85 \cdot 45) \cdot 1963,4954 \\ &= 710294,464 \text{ N} \end{aligned}$$

$$\begin{aligned} C_{s2} &= (f_{s2} - 0,85 \cdot f_c) \cdot A_{s2} \\ &= (0,0019 \cdot 2 \cdot 10^5 - 0,85 \cdot 45) \cdot 981,74 \\ &= 319607,9637 \text{ N} \end{aligned}$$

$$\begin{aligned} C_{s3} &= (f_{s3} - 0,85 \cdot f_c) \cdot A_{s3} \\ &= (0,00106 \cdot 2 \cdot 10^5 - 0,85 \cdot 45) \cdot 981,74 \\ &= 170578,6629 \text{ N} \end{aligned}$$

$$\begin{aligned} C_{s4} &= (f_{s4} - 0,85 \cdot f_c) \cdot A_{s4} = (0,00292 \cdot 2 \cdot 10^5 - 0,85 \cdot 45) \cdot 981,74 \\ &= 19782,2162 \text{ N} \end{aligned}$$

$$T_{s5} = f_{s5} \cdot A_{s5} = 0,000472 \cdot 2 \cdot 10^5 \cdot 981,7477 = 92676,9829 \text{ N}$$

$$T_{s6} = f_{s6} \cdot A_{s6} = 0,001236 \cdot 2 \cdot 10^5 \cdot 981,7477 = 242688,0314 \text{ N}$$

$$T_{s7} = f_{s7} \cdot A_{s7} = 400 \cdot 1963,4954 = 785398,16 \text{ N}$$

$$\begin{aligned} P_b &= 4020840 + 710294,464 + 319607,9637 \\ &\quad + 170578,6629 + 19782,2162 + 92676,9829 \\ &\quad + 242688,0314 + 785398,16 = 4130340,133 \text{ N} \end{aligned}$$

$$\begin{aligned}
 Mb &= Cc.(\frac{1}{2}h-\frac{1}{2}a)+Cs1.(\frac{1}{2}h-d')+Cs2.[\frac{1}{2}h-(d'-pkp)] \\
 &+ Cs3.(\frac{1}{2}h-(d'-2.pkp))+ Cs4.(\frac{1}{2}h-(d'-3.pkp)] \\
 &+ Ts5.(\frac{1}{2}h-(d'-2.pkp)] + Ts6.[\frac{1}{2}h-(d'-pkp)] + Ts7.(\frac{1}{2}h-d') \\
 Mb &= 4020840.(193,6)+710294,464.(275)+319607,9637.(183,33) \\
 &+ 170578,6629.(91,667)+19782,2162.(0)+ 92676,9829.(91,667) \\
 &+ 242688,0314.(183,33)+ 785398,16.(275)
 \end{aligned}$$

$$= 1316969426 \text{ Nmm}$$

$$eb = \frac{Mb}{Pb} = \frac{1316969426}{4120340,133} = 319,6264 \text{ mm}$$

Beban Aksial dan momen Kolom K14 yang didapat dari analisis struktur adalah sebagai berikut ini.

$$\text{Momen} = 155960000 \text{ Nmm}$$

$$\text{Aksial} = 563039,94 \text{ N} + \text{berat sendiri}$$

$$= 563039,94 \text{ N} + 37440 \text{ N}$$

$$= 600479,94 \text{ N}$$

$$e = \frac{155960000}{600479,94} = 259,7526 \text{ mm} > eb = 319,6264 \text{ mm}$$

kolom mengalami patah desak.

Kontrol regangan yang terjadi lebih kecil atau lebih besar dari  $\epsilon_y = 0,002$ , luasan beton diperhitungkan penuh.

- Tulangan tekan As'1 dimisalkan sudah leleh,

- Tulangan daerah tarik sudah leleh.

gaya tekan beton

$$\begin{aligned}
 Cc &= 0.85 \cdot f'c \cdot b \cdot \beta \cdot x \\
 &= 0.85 \cdot 45 \cdot 400 \cdot 0.73 \cdot x \\
 &= 11169 \cdot x \\
 Cs1 &= (f's1 - 0.85 \cdot f'c) \cdot As1 = (400 - 0.85 \cdot 45) \cdot 1963,4954 \\
 &= 710294,464 \text{ N} \\
 Cs2 &= \left( \frac{(x - 141.6667)}{x} \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 45 \right) \\
 &= 55149,7705 - \frac{83448574,13}{x} \\
 Cs3 &= \left( \frac{(x - 233.3334)}{x} \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 45 \right) \\
 &= 55149,7705 - \frac{137444717,30}{x} \\
 Cs4 &= \left( \frac{(x - 325)}{x} \cdot 0,003 \cdot 2 \cdot 10^5 - 0,85 \cdot 45 \right) \\
 &= 55149,7705 - \frac{191440860,4}{x} \\
 Ts5 &= \frac{416,666 - x}{x} \cdot 0,003 \cdot 2 \cdot 10^5 \cdot 918,17477 \\
 &= \frac{245436885,7}{x} - 589048,62 \\
 Ts6 &= \frac{558,3333 - x}{x} \cdot 0,003 \cdot 2 \cdot 10^5 \cdot 918,7477
 \end{aligned}$$

$$= \frac{328885459,9}{x} - 589048,62$$

$$\begin{aligned} Ts7 &= \frac{600-x}{x} \cdot 0,003 \cdot 2 \cdot 10^5 \cdot 1963,4954 \\ &= \frac{706858344}{x} - 1178097,24 \end{aligned}$$

Hitung jarak garis netral x:

$$\begin{aligned} &Ts7 \cdot (\frac{1}{2}(d-d') + e) + Ts6 \cdot (\frac{1}{2}(d-d') - p_{kp} + e) + Ts5 \cdot (\frac{1}{2}(d-d') - 2 \cdot p_{kp} + e) \\ &- Cs4 \cdot e - Cs3 \cdot (e + p_{kp}) - Cs2 \cdot (e + 2 \cdot p_{kp}) + Cs1 \cdot (e + 3 \cdot p_{kp}) \\ &- Cc \cdot (\frac{1}{2}(\beta \cdot x) - 65,65,744) = 0 \\ &(\frac{706858344}{x} - 1178097,24) \cdot 534,7256 + (\frac{328885459,9}{x} - 589048,62) \\ &\cdot 443,0589 + (\frac{245436885,7}{x} - 589048,62) \cdot 351,3922 + 259,7256 \cdot \\ &(55149,7705 - \frac{191440860,4}{x}) - (55149,7705 - \frac{137444717,30}{x}) \cdot \\ &168,0589 - (55149,7705 - \frac{83448574,13}{x}) \cdot 76,3922 + 710294,464 \\ &\cdot 15,2744 - 11169 \cdot x \cdot (0,365 \cdot x - 65,744) = 0 \end{aligned}$$

Persamaan diatas menghasilkan persamaan pangkat 3 sebagai berikut ini.

$$4076,685 \cdot x^3 + 734294,736 \cdot x^2 + 1365131578 \cdot x - 6,891312099 \cdot 2 \cdot 10^{11} = 0$$

$$x^3 + 180,120548 \cdot x^2 + 334863,1493 \cdot x - 169042055 = 0$$

Persamaan tersebut diselesaikan dengan Iterasi Newton Rhapsod menghasilkan.

$$X = 399,87487 \text{ mm}$$

kontrol x:

$$(399,87487)^3 + 180,120548.(399,87487)^2 + 334863,1493$$

$$. 399,87487 - 169042055 = 0 \text{ ---- ok}$$

Kontrol regangan

$$\varepsilon's1 = \frac{x - d'}{x} .0,003 = \frac{399,87487 - 50}{399,87487} .0,003 = 0,00262 > 0,002$$

$$\varepsilon's2 = \frac{x - (d' + pkp)}{x} .0,003 = \frac{399,87487 - (50 + 91,6667)}{399,87487} .0,003$$

$$= 0,001937 < 0,002 \text{ baja tulangan belum leleh}$$

$$\varepsilon s1 = \frac{d - x'}{x} .0,003 = \frac{600 - 399,87487}{399,87487} .0,003 = 0,00150 > 0,002$$

Jadi semua regangan yang terjadi sesuai dengan anggapan semula. Gaya dalam dan

Pn dapat dihitung.

$$Cc = 11169 . x = 11169 . 399,87487 = 4466202,423 \text{ N}$$

$$Cs1 = 710294,464 \text{ N}$$

$$Cs2 = 551496,7705 - \frac{83448574,13}{399,87487} = 342810,0527 \text{ N}$$

$$Cs3 = 551496,7705 - \frac{137444717,30}{399,87487} = 207777,4532 \text{ N}$$

$$Cs4 = 551496,7705 - \frac{191440860,4}{399,87487} = 72744,8539 \text{ N}$$

$$Ts5 = \frac{245436885,7}{399,87487} - 589048,62 = 24735,60134 \text{ N}$$

$$Ts6 = \frac{328885459,90}{399,87487} - 589048,62 = 233422,3193 \text{ N}$$

$$Ts7 = \frac{70685344}{399,87487} - 1178097,24 = 589601,6005 \text{ N}$$

$$\begin{aligned} Pn &= Cc + Cs1 + Cs2 + Cs3 + Cs4 + Ts5 + Ts6 + Ts7 \\ &= 4466202,423 + 710294,464 + 342810,0527 + 207777,4532 \\ &\quad + 72744,8539 + 24735,60134 + 233422,3193 + 589601,6005 \\ &= 4952069,725 \text{ N} \end{aligned}$$

$$\begin{aligned} Pn.e &= 4466202,423.(325 - \frac{1}{2}(0,73.399,87487)) + 710294,464.(275) \\ &\quad + 342810,0527.(183,333) + 207777,4532.(91,6667) \\ &\quad + 72744,8539.(0) + 24735,60134.(91,6667) + 233422,3193 .(183,333) + \\ &\quad 589601,6005.(275) \end{aligned}$$

$$Pn.e = 1284081897 \text{ Nmm}$$

$$e = \frac{1284081897}{4952069,275} = 259,3021 \text{ mm} \approx 259,7256 \text{ mm}$$

Jadi Kapasitas tampang kolom K14 adalah:

$$Pu = \phi.Pn = 0,65. 4952069,725 = \mathbf{3218845,321 \text{ N}}$$

$$Mu = \phi.Mn = 0,65. 1284081897 = \mathbf{834653233,20 \text{ Nmm}}$$

### 5.5 Kekuatan Baut

Baut yang digunakan pada sambungan ini adalah baut A325 dengan  $\varnothing$  20 mm. Data yang didapat dari analisis struktur adalah gaya lintang = 19301,98 N dan momen = 54749277,65 Nmm pada ujung balok susulan.

1. Baut dianggap sebagai sambungan yang menahan geser, maka baut A 325 Ø 20 mm mempunyai tarikan minimum  $T_b=141\text{KN}$

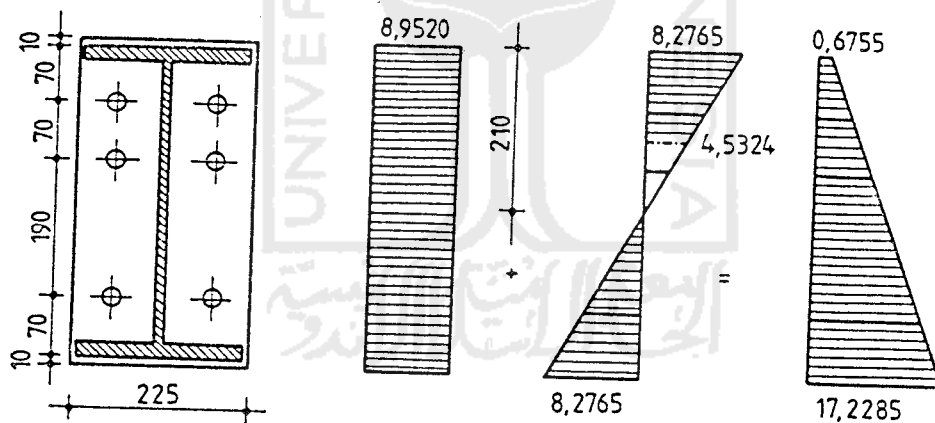
$$P/A = \frac{6.141.1000}{225.420} = 8,952 \text{ N/mm}^2$$

$$f_v = \frac{19301,98}{6.(0,25.\pi.20.20)} = 10,240 \text{ N/mm}^2$$

$$s = \frac{b.h^2}{6} = \frac{225.420^2}{6} = 6615000 \text{ mm}^2$$

$$f_t \text{ (tegangannya tarik)} = f_c \text{ (tegangannya desak)}$$

$$f_t = f_c = M/s = \frac{54749277,65}{6625000} = 8,2765 \text{ N/mm}^2$$



Gambar 5.5.1 Diagram Tegangan Baut

$$T = \frac{(10 + 70 + \frac{70}{2}) . 8,2765}{210} = 4,5324 \text{ N/mm}^2$$

Gaya tarik yang ditahan baut atas:

$$T_m = \frac{8,2765 + 4,5324}{2} \cdot \frac{115,225}{2} = 82857,3717 \text{ N/mm}^2$$

$$\begin{aligned} F'v &= C4 \cdot \left(1 - \frac{f_b \cdot A_b}{T_b}\right) \\ &= 121 \cdot \left(1 - \frac{82857,3717}{141000}\right) = 49,8954 \text{ N/mm}^2 \end{aligned}$$

$$f_v = 10,240 \text{ N/mm}^2 < F'v = 49,8954 \text{ N/mm}^2$$

Untuk satu baut atas :

$$\begin{aligned} \text{Tarikan akhir} &= T_b - \left(\frac{0,6755 + 5,2079}{2}\right) \cdot \left(115 \cdot \frac{225}{2}\right) \\ &= 141000 - 38058,0435 \\ &= 102941,9565 \text{ N} \end{aligned}$$

$$\begin{aligned} f_t &= \frac{102941,9565}{0,25 \cdot \pi \cdot 20^2} = \frac{102941,9565}{314,1593} \\ &= 327,6477 \text{ N/mm}^2 \end{aligned}$$

$$\begin{aligned} F_t &= c1 - c2 \cdot f_v \\ &= 380 - 1,4 \cdot 10,240 \\ &= 365,664 \text{ N/mm}^2 \end{aligned}$$

cek persamaan interaksi:  $\left(\frac{f_v}{F_v}\right)^2 + \left(\frac{f_t}{F_t}\right)^2 \leq 1,00$

$$\left(\frac{10,240}{49,8954}\right)^2 + \left(\frac{327,6744}{365,664}\right)^2 \leq 1,00$$

$$0,8451 < 1,00$$

jadi sambungan memenuhi dan mampu menahan beban yang bekerja.



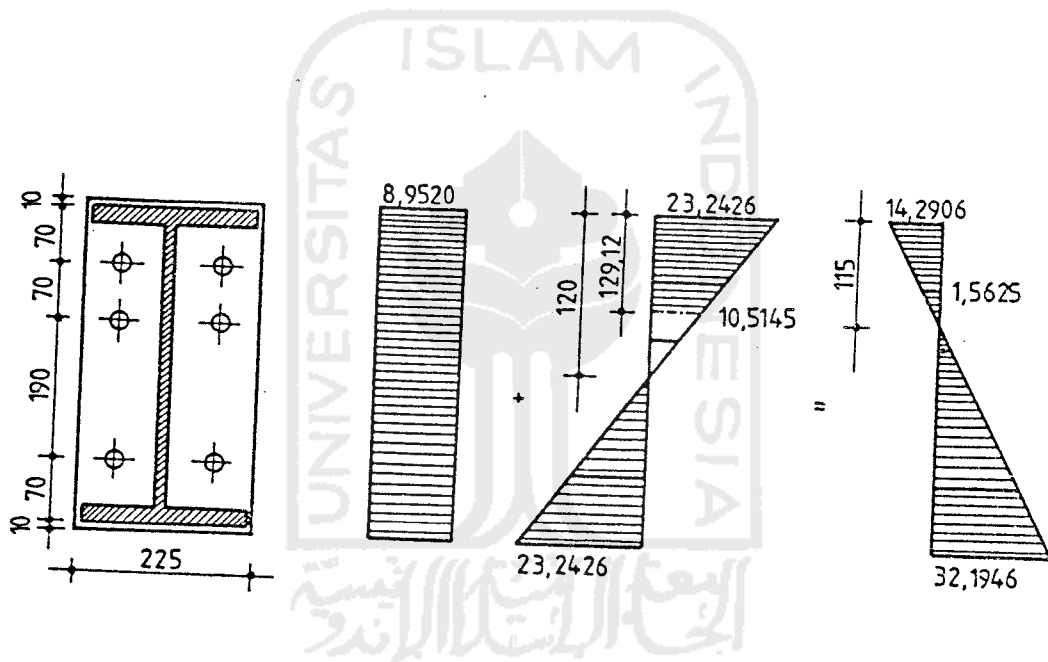
2. Perhitungan kekuatan baut untuk  $M = 153750000 \text{ Nmm}$ ;  $V = 131700 \text{ N}$

$$P/A = 8,952 \text{ N/mm}^2$$

$$f_v = \frac{131700}{6,0,25 \cdot \pi \cdot 20^2} = 69,8690 \text{ N/mm}^2 < 120 \text{ N/mm}^2 \text{ (AISC)}$$

$$s = 6615000 \text{ mm}^3$$

$$f_t = f_c = M/s = \frac{153750000}{6615000} = 23,2426 \text{ N/mm}^2$$



Gambar 5.5.2 Diagram Tegangan Tampang

gaya tarikan yang ditahan baut atas keadaan akhir untuk satu baut:

$$T = T_b - \left( \frac{1,5625 + 14,2906}{2} \right) \cdot (115 \cdot 225 / 2)$$

$$= 141000 - 102549,741$$

$$= 38450,2594 \text{ N}$$

$$f_t = \frac{38450,2594}{0,25 \cdot \pi \cdot 20^2} = 122,3909 \text{ N/mm}^2$$

$$\begin{aligned} F_t &= c_1 - c_2 \cdot f_v \\ &= 380 - 1,4 \cdot 69,8690 \\ &= 282,1834 \text{ N/mm}^2 > 122,3909 \text{ N/mm}^2 \end{aligned}$$

$$\left(\frac{f_v}{F_v}\right)^2 + \left(\frac{f_t}{F_t}\right)^2 \leq 1,00$$

$$\left(\frac{69,8690}{120}\right)^2 + \left(\frac{122,3909}{282,1834}\right)^2 \leq 1,00$$

$$0,5271 < 1,00$$

3. Perhitungan dengan asumsi tanpa tarikan awal:

$$M = 153750000 \text{ Nmm}$$

$$V = 131700 \text{ N}$$

Baut A 325  $\varnothing$  20 mm

gaya geser baut :

$$R_n = \frac{V}{n} = \frac{131700}{6} = 21950 \text{ N}$$

Tegangan geser:

$$f_v = \frac{R_v}{A_v} = \frac{21950}{0,25 \cdot \pi \cdot 20^2} =$$

$$= 69,8690 \text{ N/mm}^2 < 120 \text{ N/mm}^2 \text{ (AISC)}$$

Tegangan tarik untuk baut paling atas dengan pendekatan luasan efektif:

$$a = \left(\frac{A}{p}\right) \cdot m = \left(\frac{314,159}{115}\right) \cdot 2 = 5,4636 \text{ mm}$$

$$be = 2 \cdot b = 2 \cdot \left(\frac{225 - 8}{2}\right) = 217 \text{ mm}$$

$$\frac{c1}{c} = \frac{\sqrt{a}}{\sqrt{be}} = \frac{\sqrt{5,4636}}{\sqrt{217}} = 0,1587$$

$$h = 420 \text{ mm maka:}$$

$$c1 = 0,1587 \cdot c$$

$$h = c1 + c$$

$$420 = c + 0,1587 \cdot c$$

$$c = \frac{420}{1,1587} = 362,4829 \text{ mm}$$

$$c1 = 420 - 362,4829 = 57,5171 \text{ mm.}$$

$$I = \frac{a \cdot c^3}{3} + \frac{be \cdot c1^3}{3}$$

$$= \frac{5,4636 \cdot (362,4829)^3}{3} + \frac{217 \cdot (57,5171)^3}{3}$$

$$= 86803585,16 \text{ mm}^4$$

“Section modulus” tampang untuk baut teratas:

$$S = \frac{I}{c - 80} = \frac{86803585,16}{362,4829 - 80} = 307287,9284 \text{ mm}^3$$

maka:  $f_t = \frac{M}{s} = \frac{153750000}{307287,9284} = 500,3451 \text{ N/mm}^2 > 303 \text{ N/mm}^2$  tidak memenuhi

Jika data baut menggunakan spesifikasi baut F.10.t dengan tegangan tarik minimum

$$= 84,6 \text{ kg.f/mm}^2 = 846 \text{ N/mm}^2$$

maka  $f_t < F_t$  -----  $500,3451 \text{ N/mm}^2 < 846 \text{ N/mm}^2$

Anggapan gaya tarik awal diabaikan:

menghitung letak garis netral:

$$b. \frac{y^2}{2} = 2.0,25 \cdot \pi \cdot 20^2 \cdot [(80-y)+(270-y)+(340-y)]$$

$$225 \cdot \frac{y^2}{2} = 2.314,159 \cdot [690 - 3 \cdot y]$$

$$112,5 \cdot y^2 = 433539,7862 - 1884,9556 \cdot y$$

$$y^2 + 16,7552 - 3853,6870 = 0$$

$$y = 54,2632 \text{ mm}$$

kontrol:

$$\begin{aligned} \text{Momen dari luasan bagian tekan} &= 225 \cdot \frac{54,2632^2}{2} \\ &= 331256,0117 \text{ mm}^3 \end{aligned}$$

Momen dari luasan bagian tarik

$$\begin{aligned} &= 2.0,25 \cdot \pi \cdot 20^2 \cdot [(80-54,2632)+(270-54,2632) + (340-54,2632)] \\ &= 331256,0117 \text{ mm}^3 \text{ ----- ok!} \end{aligned}$$

Momen Inersia:

$$\begin{aligned} I &= \frac{225 \cdot (54,2632)^3}{12} + \frac{225 \cdot (54,2632)^2}{2} + 2.314,159 \cdot (25,7368)^3 \\ &+ 2.314,159 \cdot (215,7368)^2 + 2.314,159 \cdot (258,7368)^2 \end{aligned}$$

$$= 84286104,21 \text{ mm}^4$$

$$\text{Gaya geser tiap baut} = \frac{131700}{6} = 21950 \text{ N}$$

$$\text{Tegangan geser } f_v = \frac{21950}{0,25 \cdot \pi \cdot 20^2} = \frac{21950}{314,159}$$

$$= 69,8690 \text{ N/mm}^2 < 120 \text{ N/mm}^2 \text{ (AISC)}$$

Gaya tarik baut paling atas:

$$f_t = \frac{M \cdot c}{I} = \frac{153750000 \cdot 285,7368}{84246104,21}$$

$$= 521,2251 \text{ N/mm}^2 < 846 \text{ N/mm}^2 \text{ (baut F.10.t)}$$

Persamaan interaksi:

$$\left(\frac{f_v}{F_v}\right)^2 + \left(\frac{f_t}{F_t}\right)^2 \leq 1,0$$

$$\left(\frac{69,8690}{120}\right)^2 + \left(\frac{521,2251}{846}\right)^2 \leq 1,0$$

$$0,7186 \leq 1,0$$

### 5.6 Balok Anak B-21 Sebagai Balok T

Kemampuan balok yang lebih maksimal dapat dilihat dengan menganalisa balok tersebut sebagai balok tampang T. Hal ini didasarkan pada anggapan bahwa balok tersebut pada kenyataannya tidak bekerja sendiri, tetapi menjadi bersama-sama dengan pelat dalam mendukung beban yang bekerja. Perhitungan analisis balok anak sebagai balok tampang T adalah sebagai berikut ini.

Panjang balok = 8236 mm

Tebal slab = 130 mm

Jarak balok dari as ke as

- bentang sebelah kanan = 5575 mm

- bentang sebelah kiri = 1240 mm

Perhitungan analisis menggunakan bentang sebelah kiri 1240 mm

1.) Lebar efektif pelat

$$- be = \frac{L}{4} = \frac{8236}{4} = 2059 \text{ mm}$$

$$- be = 16 \cdot ts + bw$$

$$= 16 \cdot 130 + 250$$

$$= 2330 \text{ mm}$$

$$- be = 1240 \text{ mm}$$

dipakai yang terkecil jadi  $be = 1240 \text{ mm}$ .

2.) Kontrol luasan tulangan

$Cc = Ts$  ; dengan  $a =$  tebal slab 130 mm

$$0,85 \cdot f'c \cdot be \cdot a = Fy \cdot As$$

$$As = \frac{0,85 \cdot 35 \cdot 1240 \cdot 130}{400} = 11989,25 \text{ mm}^2 > As \text{ tersedia}$$

garis netral jatuh pada sayap

$$a = \frac{Fy \cdot As}{0,85 \cdot be \cdot f'c}$$

$$= \frac{400 \cdot 20,25 \cdot \pi \cdot 22^2}{0,85 \cdot 1240 \cdot 35}$$

$$= 8,2436 \text{ mm}$$

$$x = \frac{8,2436}{0,73} = 11,2926 \text{ mm}$$

cek tulangan A's sebagai tulangan tarik

$$\epsilon_{s2} = \frac{d' - x}{x} \cdot 0,003 = \frac{48 - 11,2926}{11,2926} \cdot 0,003$$

$$= 0,00975 > 0,002 \text{ , baja sudah leleh}$$

3.) Kontrol kapasitas tampang dalam kesetimbangan gaya

$$Cc = 0,85 \cdot f'c \cdot a \cdot be$$

$$= 0,85 \cdot 35 \cdot 8,2436 \cdot 1240$$

$$= 304106,404 \text{ N}$$

$$fs1 = fs2 = fy$$

$$Ts1 = Ts2 = As \cdot fy$$

$$= 2 \cdot \emptyset 22 \cdot 400$$

$$= 760,2654 \cdot 400$$

$$= 304106,1689 \text{ N}$$

$$C_c = T_{s1} + T_{s2}$$

$$= 304106,1689 + 304169,1689$$

$$= 608212,3377 \text{ N ; tidak seimbang}$$

Jadi tulangan atas harus diperhitungkan untuk mengimbangi tegangan desak beton. Tulangan atas masuk serat tarik

$$d' = 48 \text{ mm} > x = 11,2926 \text{ mm.}$$

Untuk mencapai keseimbangan gaya dalam tulangan As1 dianggap sudah leleh

$$\frac{\epsilon_{s2} + 0,003}{d'} = \frac{0,003}{x}$$

$$\epsilon_{s2} \cdot x + 0,003 \cdot x = d' \cdot 0,003$$

$$\epsilon_{s2} = \frac{d' \cdot 0,003 - 0,003 \cdot x}{x} = \frac{48 - x}{x} \cdot 0,003$$

$$f_s = \epsilon_{s2} \cdot 2 \cdot 10^5$$

Kontrol keseimbangan:

$$C_c - T_{s2} = T_{s1}$$

$$0,85 \cdot f'_c \cdot \beta \cdot x \cdot b \cdot e - A_{s'} \cdot f_s = A_s \cdot f_y$$

$$0,85 \cdot 35 \cdot 1240 \cdot 0,73 \cdot x - 760,2654 \cdot \left( \frac{48 - x}{x} \cdot 0,003 \right) \cdot 2 \cdot 10^5$$

$$= 760,2645 \cdot 400$$

$$26929,7 \cdot x - 162053084,4 \cdot \left( \frac{48 - x}{x} \cdot 0,003 \right) = 304106,1689$$



$$26929,7 \cdot x + 152053,0844 - \frac{21895644,16}{x} = 0$$

$$x^2 + 5,6463 \cdot x - 813,0668 = 0$$

$$x = 25,83059 \text{ mm}$$

cek gaya dalam:

$$0,85 \cdot f'c \cdot \beta \cdot x \cdot b \cdot e - A_s' \cdot f_s = A_s \cdot f_y$$

$$0,85 \cdot 35 \cdot 1240 \cdot 0,73 \cdot 25,83059 - 760,2654 \cdot \left( \frac{48 - 25,83059}{25,83059} \cdot 0,003 \right) \cdot 2 \cdot 10^5$$

$$= 760,2645 \cdot 400$$

$$695610,1363 - 391503,9674 = 304106,1689$$

$$304106,1689 = 304106,1689 \text{ -----ok}$$

Kontrol  $\epsilon_s2$

$$\epsilon_s2 = \frac{48 - x}{x} \cdot 0,003$$

$$= \frac{48 - 25,83059}{25,83059} \cdot 0,003$$

$$= 0,00257 > 0,002$$

jadi anggapan tulangan tarik sudah leleh memenuhi

$$f_{s1} = f_{s2} = f_y$$

$$C_c = T_{s1} + T_{s2}$$

$$0,85 \cdot f'c \cdot b \cdot e \cdot a = (A_s' + A_s) \cdot f_y$$

$$a = \frac{(760,2654 + 760,2654) \cdot 400}{0,85 \cdot 35 \cdot 1240} = 16,4872 \text{ mm}$$

$$C_c = 0,85 \cdot 35 \cdot 1240 \cdot 16,4872 = 608212,3377 \text{ N}$$

$$T_{s1} = T_{s2} = 304106,1689 \text{ N}$$

4.) kapasitas tampang

$$M_n = C_c \cdot (d - \frac{1}{2} \cdot a) - T_s \cdot (d - d')$$

$$= 608212,3377 \cdot (552 - \frac{1}{2} \cdot 16,4872) - 304106,1689 \cdot (552 - 48)$$

$$= 177449846 \text{ Nmm}$$

$$M_u = \phi \cdot M_n = 0,8 \cdot 177449846 = 141959876,80 \text{ Nmm}$$

## 5.7 Pembahasan

Dari hasil perbandingan analisis tampang elemen dengan hasil analisis struktur portal, dapat diketahui kondisi elemen-elemen struktur setelah mengalami perubahan pembebanan. Perbandingan analisis tampang elemen yang berdekatan (berhubungan langsung dengan balok susulan) dengan analisis struktur dapat dilihat dalam tabel berikut ini.

Tabel 1 Perbandingan Kapasitas Tampang Balok dengan Momen Hasil Analisis Struktur

Balok	Momen Analisis Struktur (Nmm)	Kapasitas Momen Elemen (Nmm)	Keterangan
Balok induk B-1 (tumpuan)	286470000	426203937,2	Aman
Balok induk B-1 (lapangan)	167150000	317424997,4	Aman
Balok induk B-37	55081150,2	194475201,1	Aman
Balok induk B-8 (tumpuan)	67209065,28	194470333,7	Aman
Balok induk B-8 (lapangan)	29970971,63	131184639,9	Aman
Balok Anak B-21	206620000	141959876	Tidak Aman

Tabel 2 Perbandingan Kapasitas Tampang Kolom dengan Aksial dan Momen Hasil Analisis Struktur

Kolom	Analisis Struktur		Kapasitas Elemen		Keterangan
	Aksial (N)	Momen(Nmm)	Aksial (N)	Momen (Nmm)	
K 11	400418,1	112990000	1967823	55280827,1	Aman
K 14	563039,9	155960000	3218845	834653233,2	Aman

Dari tabel diatas dapat diketahui balok anak tidak aman, maka untuk menjamin kestabilan struktur harus dihitung beban maksimal yang dapat ditahan oleh balok anak tersebut. Perhitungan tersebut dilakukan dengan memasukkan momen kapasitas balok anak tampang T ke dalam persamaan Clapeyron sebagai berikut ini.

Momen kapasitas tampang:

$$M_A = M_B = 141959876,80 \text{ N}$$

$$\alpha_A = \beta_A$$

$$\frac{M_A \cdot \ell}{3 \cdot EI} + \frac{M_B \cdot \ell}{6 \cdot EI} = \frac{q \cdot (\ell)^3}{24 \cdot EI} + \frac{P \cdot a \cdot (\ell^2 - a^2)}{6 \cdot EI \cdot \ell}$$

$$8 \cdot M_A \cdot \ell + 4 \cdot M_B \cdot \ell = q \cdot 8236^3 + \frac{4 \cdot 88329,45 \cdot 3636(8236^2 - 3636^2)}{8236}$$

$$12 \cdot M_A \cdot \ell = q \cdot 8236^3 + \frac{4 \cdot 88329,45 \cdot 3636(8236^2 - 3636^2)}{8236}$$

$$12 \cdot 141959876,80 \cdot 8236 = q \cdot 8236^3 + \frac{4 \cdot 88329,45 \cdot 3636(8236^2 - 3636^2)}{8236}$$

$$q = \frac{1,403017854 \cdot 10^{13} - 8,518336142 \cdot 10^{12}}{8236^3}$$

$$= 9,86615 \text{ N/mm}$$

$$\alpha B = \beta B$$

$$\frac{MA \cdot \ell}{6 \cdot EI} + \frac{MB \cdot \ell}{3 \cdot EI} = \frac{q \cdot (\ell)^3}{24 \cdot EI} + \frac{P \cdot b \cdot (\ell^2 - b^2)}{6 \cdot EI \cdot \ell}$$

$$4 \cdot MA \cdot \ell + 8 \cdot MB \cdot \ell = q \cdot 8236^3 + \frac{4 \cdot 88329,45 \cdot 4600 (8236^2 - 4600^2)}{8236}$$

$$12 \cdot MA \cdot \ell = q \cdot 8236^3 + \frac{4 \cdot 88329,45 \cdot 4600 (8236^2 - 4600^2)}{8236}$$

$$12 \cdot 141959876,80 \cdot 8236 = q \cdot 8236^3 + \frac{4 \cdot 88329,45 \cdot 4600 (8236^2 - 4600^2)}{8236}$$

$$q = \frac{1,403017854 \cdot 10^{13} - 9,210021488 \cdot 10^{12}}{8236^3}$$

$$= 8,62804 \text{ N/mm}$$

q diambil yang terkecil. Maka beban kerja (beban hidup) yang diijinkan pada balok anak tersebut adalah sebagai berikut ini.

$$q_{\text{ijin}} = q - q_{\text{berat sendiri}}$$

$$= 8,62804 - 3,384$$

$$= 5,24404 \text{ N/mm}$$

Untuk pembebanan permeter persegi

$$M_{\text{maks}} = 1,8078 \cdot 10^{10} \cdot q \text{ ( hitungan pembebanan B-21)}$$

$$q_u = \frac{141959881,80}{1,8078 \cdot 10^{10}} = 0,007826 \text{ N/mm}^2$$

$$= 7,826 \text{ KN/mm}^2$$

setelah dikurangi berat sendiri pelat, menjadi:

$$q_l = \frac{7,826 - (3,12 \cdot 1,2)}{1,6} = 2,5512 \text{ Kn/m}^2$$

$$= 255,12 \text{ kg/m}^2$$

Jadi beban pada pelat yang masih mampu ditahan oleh balok anak pada kondisi tersebut adalah **255,12 kg/m<sup>2</sup>**

Pembatasan beban yang bekerja pada pelat sebenarnya kurang efisien sebab jenis berat mobil yang keluar dan masuk lantai parkir apartemen tidak mungkin diawasi satu persatu. Solusi lain yang dapat diambil untuk memecahkan masalah tertinggalnya balok induk adalah dengan membuat portal struktur tambahan di bawah pelat lantai. Hal ini dapat digunakan mengingat pelat lantai seluruhnya bertulangan rangkap maka timbulnya momen negatif akibat tumpuan pada portal tersebut dapat ditahan oleh tulangan pelat bagian atas. Apabila solusi yang digunakan adalah dengan memberi portal struktur dibawah pelat maka beban yang bekerja pada pelat dapat seperti yang telah direncanakan