3.6 Technique of Data Analysis

- Net operating assets (NOA) are shareholders' equity less cash and marketable securities, plus total debt (Barton and Simko, 2002).
- Earnings surprise (SURPRISE) as actual EPS less the consensus EPS forecast (Barton and Simko, 2002):

By assuming that the cumulative probability of reporting an EPS surprise of less than $k\phi$ is:

$$Pr(SURPRISE < k|x) = F(-x\beta_k)$$

Where x is a vector of independent variables, β_k is a vector of parameters for a predetermined earnings surprise benchmark k, and F is the cumulative logistic distribution:

$$F(-x\beta_k) = \exp(-x\beta_k) / [1 + \exp(-x\beta_k)]$$

To ensure that the sum of cumulative probabilities across all k equals 1, the researcher impose the constraint $-x\beta_k \ge -x\beta_{k-1}$ for all k. the odds of reporting an earnings surprise of at least $k\not\in$ instead of less than $k\not\in$ are:

$$\Omega_{k}(x) = \Pr\left(\text{SURPRISE} \ge k|x\right) / \Pr\left(\text{SURPRISE} < k|x\right)$$
$$= \left[1 - F\left(-x\beta_{k}\right)\right] / F\left(-x\beta_{k}\right) = \exp(x\beta_{k})$$

To determine the effect of change in x on the odds of reporting an earnings surprise of at least $k \not \in$, suppose that x changes from $x = x_1$ to $x = x_2$. The odds then change from $\Omega_k(x_1)$ to $\Omega_k(x_2)$ by the factor:

$$\Omega_k(x_2) \, / \, \Omega_k(x_1) = exp(x_2\beta_k) \, / \, exp(x_1\beta_k) = exp\left(\left[x_2 - x_1\right] \, \beta_k\right)$$

That is, the odds change by $100[\exp([x_2 - x_1] \beta_k) - 1]$ percent. If only one variable, x_j with parameter β_j , change by δ , then the odds of reporting an earnings